

# Experiment: Water in a Blender

- Fill blender with water
- Measure initial temperature
- Blend on high for 5 min.
- Measure temperature again
- Temperature increases: why?

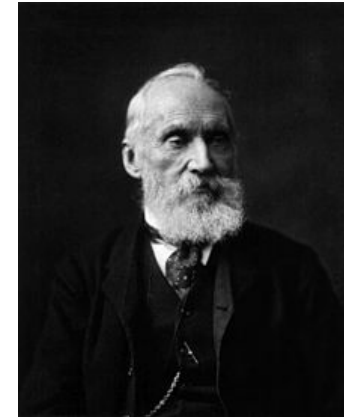


# Energy Conversion Examples

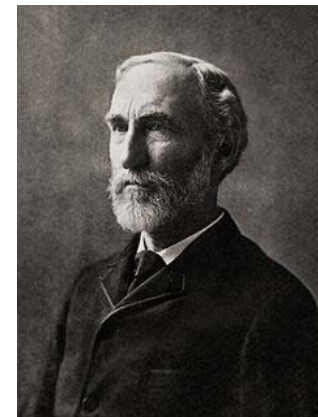
- Potential energy storage in a spring
- Electrical current generating heat in your computer
- Breaking and re-forming chemical bonds

# Why Talk About Molecules?

- “If it’s good enough for Lord Kelvin, it’s good enough for me.”
- Kinetic theory in its infancy (Brownian motion, c. 1830)
- Classical thermodynamics doesn’t rely on a molecular framework



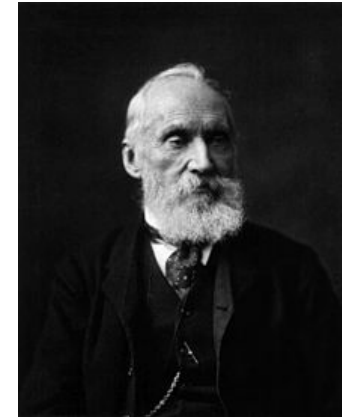
William Thomson, 1824-1907



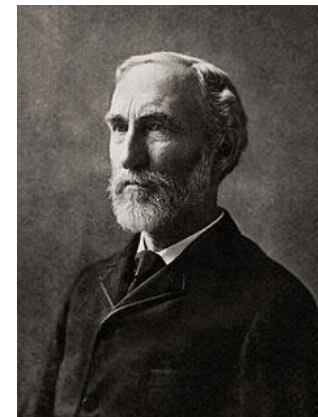
J. Willard Gibbs, 1839-1903

# Why Talk About Molecules?

- Molecular reasoning makes thermodynamics more intuitive
- Understanding protein and DNA structure is very useful
- Thermodynamics guides our understanding of molecular interactions



William Thomson, 1824-1907



J. Willard Gibbs, 1839-1903

# Systems and Surroundings

- **System:** The part of the universe we're interested in
- **Surroundings:** Everything else (generally “local” surroundings, e.g. the lab vs. Jupiter)
- **Boundary:** Geometric surface between system and surroundings

# Systems and Surroundings

- **Isolated System:** A system with no mass or energy exchange with surroundings
- **Closed System:** No exchange of mass, but heat exchange possible
- **Open System:** Both heat and mass can exchange

# Work Example #1

A piston lifts a 10.0 kg mass from the ground to a height of 10.0 m off the ground. How much work does it do?

## Work Example #2

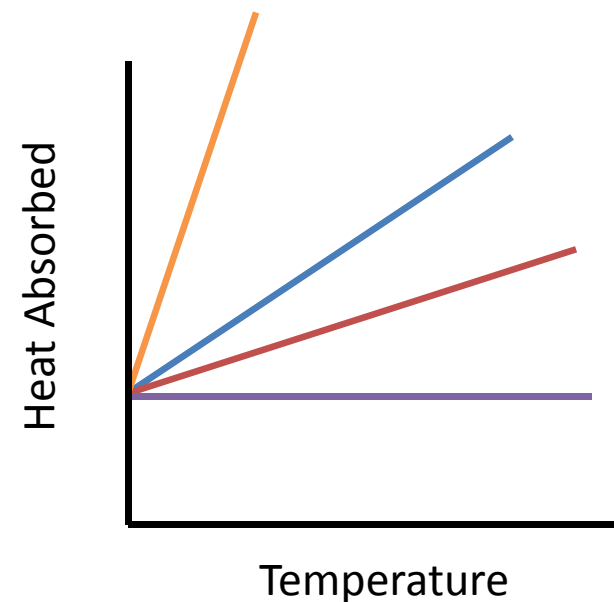
A gas with a pressure  $P$  is stored in a cylinder. The top of the cylinder is airtight but can expand against an external pressure  $P_{\text{ex}}$ . Derive an expression for the work if the gas expands from a volume of  $V_1$  to  $V_2$ .

What is the work if  $P_{\text{ex}}$  is zero?



# Properties of the Heat Capacity

- How easy is it to change an object's temperature?
- Orange curve has highest heat capacity: large change in heat  $\rightarrow$  small change in T
- High C is like a buffer, resisting changes in T as q is added



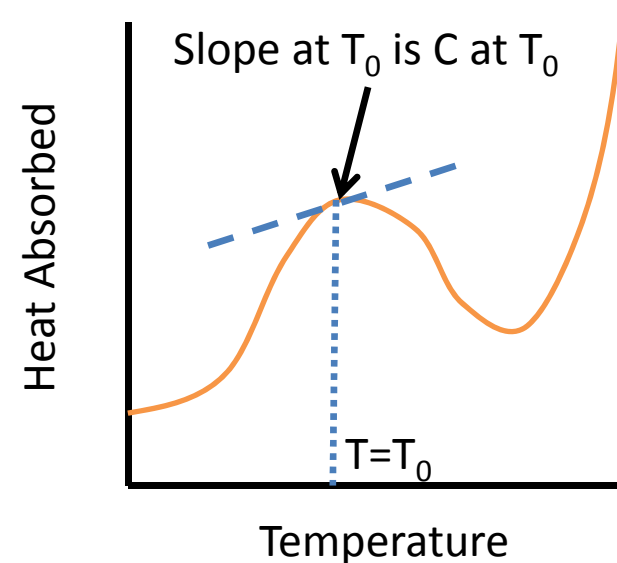
# Heat Capacity and Calculus

- If we know  $q(T)$ :

$$C(T) = \lim_{h \rightarrow 0} \frac{q(T+h) - q(T)}{h}$$

- $C$  is usually roughly constant for most materials over most temperature ranges
- Integration is possible to determine  $dq$  from  $dT$ .

$$C = \frac{dq}{dT} \rightarrow \Delta q = \int_{T_1}^{T_2} C dT$$



# Question

(discuss at your table)

At 25 °C, which has a higher heat capacity, 100.0 g of water or 500.0 g of water?

# Question

(discuss at your table)

At 25 °C, which has a higher heat capacity, 100.0 g of water or 500.0 g of water?

- Normally,  $C$  scales with size of system, but  $C$  per unit mass (or moles) does not:
  - $\bar{C}_V, \bar{C}_P$  : Molar heat capacity ( $\text{J mol}^{-1} \text{K}^{-1}$ )
  - $C_V^*, C_P^*$  : Specific heat capacity ( $\text{J mol}^{-1} \text{kg}$ )

# Intensive vs. Extensive Properties

- **Extensive:** Properties that depend on the system size (they *extend* as the system gets bigger). E.g. Volume, Heat Capacity.
- **Intensive:** Properties that do not scale with the size of the system (they are *independent* of system size). E.g. Pressure, Molar Heat Capacity.

# Heat Capacity and Materials

- $C$  depends on conditions: i.e. whether volume of system is constant ( $C_V$ ) or pressure is constant ( $C_p$ )
- Volume and pressure changes are small for liquids and solids, so  $C_p \approx C_V$ . For a gas,  $C_p \neq C_V$
- Values given for 1 mol of water



$$C_p = 38.09 \text{ J/K} \quad C_V = 38.08 \text{ J/K}$$



$$C_p = 75.33 \text{ J/K} \quad C_V = 74.53 \text{ J/K}$$



$$C_p = 37.47 \text{ J/K} \quad C_V = 28.03 \text{ J/K} \quad 14$$

# The First Law

- Assume a system has an internal energy ( $E$ ), representing all energies of atoms, bonds, etc.
- Then, any change in  $E$  can be calculated as:

$$\Delta E_{sys} = \Delta q + \Delta w$$

Work done by or to system

Heat added to or lost by system

- Note equivalence of heat and work: They can both change  $E$  in the same way

# The First Law: Consequences

- Since energy is conserved:

$$\Delta E_{sys} + \Delta E_{surroundings} = 0$$

- Work and heat are not conserved
  - Calculating real-world changes in heat/work of system/surroundings is not often trivial
- Isolated system:  $\Delta E = 0$



# What About Internal Energy?

- It is an (extensive) property of the system:

$$E = E(V, T, N_1, N_2, \dots)$$

- **ONLY THE AMOUNT OF HEAT AND WORK MATTERS, NOT HOW IT IS GENERATED!!!!**
- Thus, the change in  $E$  depends only on the initial and final conditions, not the process, reversibility, etc. (This is really important!)